Given a nonempty, bounded, closed and convex subset $K$ of a hyperbolic complete metric space, we previously studied the class of nonexpansive self-mappings of $K$ endowed with a natural metric. Using the Baire category approach and the notion of porosity, we showed that most elements of this class are contractive. In this talk we prove a variant of this result for unbounded sets. Namely, we show that most nonexpansive mappings are contractive on all bounded subsets. This is joint work with Alexander J. Zaslavski.